

A DNN based Normalized Time-frequency Weighted Criterion for Robust Wideband DoA Estimation

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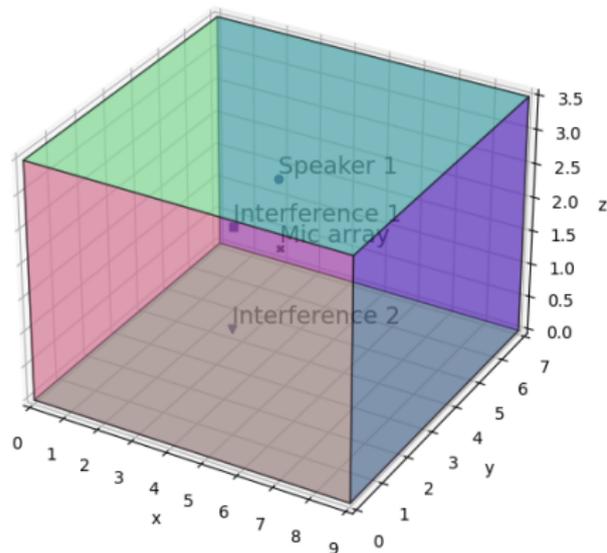
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*A preprint is available at <https://arxiv.org/abs/2302.10147>
Code is available at <https://github.com/kjason/DnnNormTimeFreq4DoA>

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- 2 The general framework
 - The proposed DNN based normalized T-F weighted criterion
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 - The best post-processing is criterion-dependent
 - Robustness against a wide range of SIRs
- 4 References

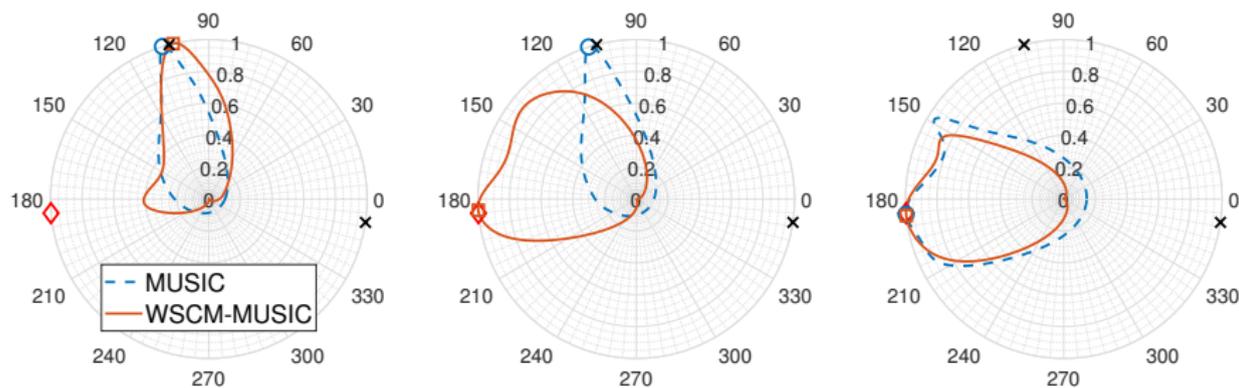
Wideband direction of arrival (DoA) estimation



- Speech source localization.
- Hearing aids and augmented hearing systems (Pisha et al., 2019).
- Many DoA estimation methods now rely on deep learning (Xu et al., 2017; Yang et al., 2017; Wang et al., 2018a; Yang et al., 2019).
- Let us focus on a simple framework using weighted spatial covariance matrices (WSCMs).

A simple approach based on a popular subspace method

- There are **one** speech source and **multiple** interference sources.
- Train a DNN to estimate the ideal ratio mask (IRM) of the speech signal.
- Compare the wideband MUSIC and the WSCM-MUSIC (Xu et al., 2017).



(a) SIR = -6 dB.

(b) SIR = 0 dB.

(c) SIR = 20 dB.

Figure: ◇ and × represent the speaker and interference, respectively.

- Other popular methods include the principal vector (Yang et al., 2017; Wang et al., 2018a; Yang et al., 2019) and SRP-PHAT (Pertilä and Cakir, 2017).

A framework based on time-frequency weighted criteria

- A DNN $g : \mathbb{R}^{2 \times T \times F} \rightarrow \mathbb{R}^{T \times F}$ individually predicts a mask \mathbf{G} for each sensor.
- For each sensor m , pick a post-processing q_m that generates T-F weights

$$\mathbf{W}_m = q_m(\mathbf{G}_1, \mathbf{G}_2, \dots, \mathbf{G}_M). \quad (1)$$

- Compute the weighted spatial covariance matrix (WSCM)

$$\Phi(f) = \sum_t [\mathbf{w}(t, f) \odot \mathbf{y}(t, f)] [\mathbf{w}(t, f) \odot \mathbf{y}(t, f)]^H. \quad (2)$$

- Optimization criteria:

$$\begin{aligned} \text{(MUSIC)} \quad & \max_{\theta} \sum_f \frac{1}{\mathbf{v}^H(\theta, f) \mathbf{N}(f) \mathbf{N}^H(f) \mathbf{v}(\theta, f)}, \\ \text{(Principal vector)} \quad & \max_{\theta} \sum_f \mathbf{v}^H(\theta, f) \mathbf{p}(f) \mathbf{p}^H(f) \mathbf{v}(\theta, f), \\ \text{(SRP)} \quad & \max_{\theta} \sum_f \mathbf{v}^H(\theta, f) \Phi(f) \mathbf{v}(\theta, f). \end{aligned} \quad (3)$$

Why these methods are so popular?

- They basically can be applied to arbitrary array geometries.
- The DNN is independent of the microphone array used.
- Only single-channel speech and nonspeech corpora are required for training.

Question 1

Why pick a signal/noise subspace when the estimation of the IRM is accurate?

Question 2

What is the best design for T-F weights? A comparative study seems missing.

- Binary thresholding ([Heymann et al., 2016](#))
- Arithmetic mean ([Pertilä and Cakir, 2017](#))
- Hadamard product ([Wang et al., 2018b](#))
- And more...

Our contributions

Contribution 1

A simple criterion yields better performance compared to commonly used methods.

Contribution 2

The post-processing that generates T-F weights is crucial and the best strategy is criterion-dependent.

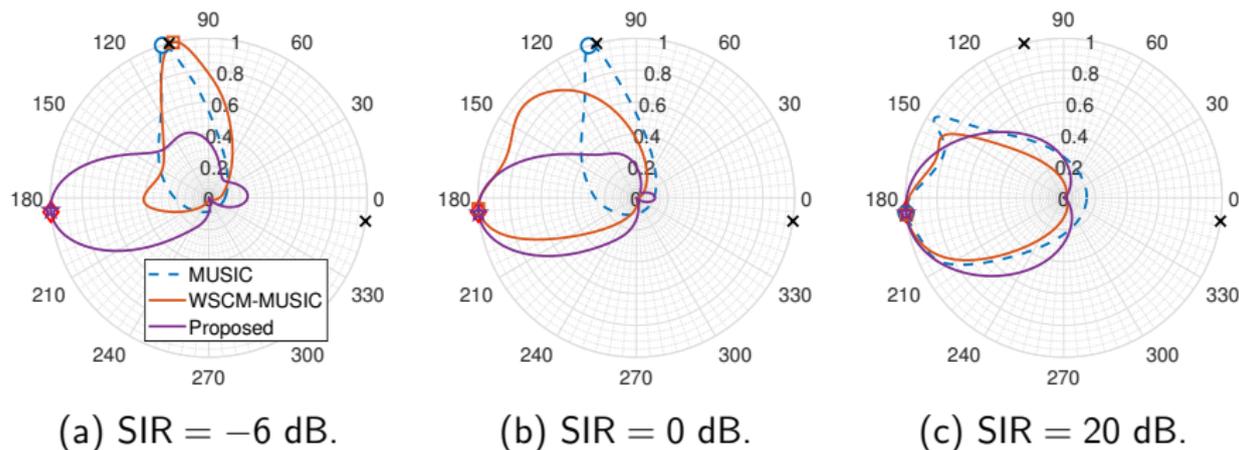


Figure: ◇ and × represent the speaker and interference, respectively.

A simple criterion

- No eigenvalue decomposition.
- High-quality snapshots are preferred.
- A normalization of the magnitude of $\mathbf{y}(t, f)$ may prevent the objective function from relying on a single low SINR snapshot.
- We first normalize the filtered snapshot at every T-F bin and then directly match a candidate steering vector to the normalized filtered snapshot, i.e.,

$$\min_{\theta, \mathbf{S}} \sum_f \sum_t \left\| \frac{\mathbf{w}(t, f) \odot \mathbf{y}(t, f)}{\|\mathbf{y}(t, f)\|_2} - s(t, f) \mathbf{v}(\theta, f) \right\|_2^2. \quad (4)$$

Finding θ is equivalent to solving

$$\max_{\theta} \sum_f \mathbf{v}^H(\theta, f) \sum_t \frac{\tilde{\mathbf{y}}(t, f) \tilde{\mathbf{y}}^H(t, f)}{\|\mathbf{y}(t, f)\|_2^2} \mathbf{v}(\theta, f). \quad (5)$$

where $\tilde{\mathbf{y}}(t, f) = \mathbf{w}(t, f) \odot \mathbf{y}(t, f)$, which is slightly different from the SRP-PHAT (Pertilä and Cakir, 2017; Zhang et al., 2008).

Post-processing that generates T-F weights

Table: Examples of the post-processing function q_m .

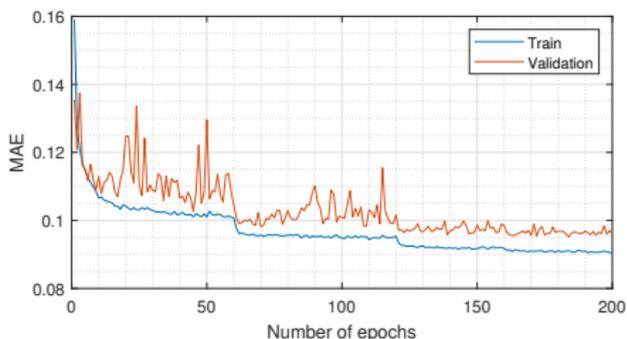
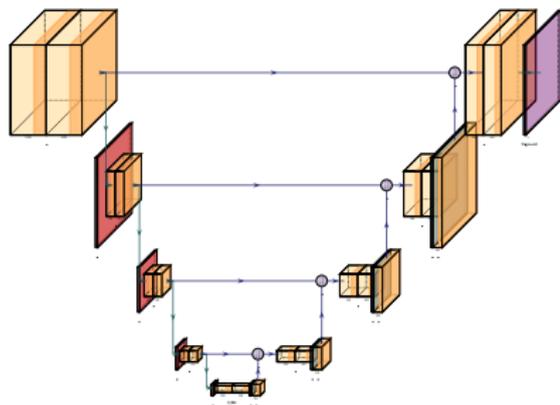
Post-processing	Expression for all $m \in [M]$
Identity (direct masking)	$q_m = \mathbf{G}_m$
Minimum	$[q_m]_{t,f} = \min_{i \in [M]} [\mathbf{G}_i]_{t,f}$
Maximum	$[q_m]_{t,f} = \max_{i \in [M]} [\mathbf{G}_i]_{t,f}$
Arithmetic mean	$q_m = \frac{1}{M} \sum_{i=1}^M \mathbf{G}_i$
Arithmetic median	$[q_m]_{t,f} = \text{median}(\{[\mathbf{G}_i]_{t,f}\}_{i=1}^M)$
Hadamard product	$q_m = \mathbf{G}_1 \odot \mathbf{G}_2 \odot \cdots \odot \mathbf{G}_M$
Geometric mean	$[q_m]_{t,f} = \sqrt[M]{\prod_{i=1}^M [\mathbf{G}_i]_{t,f}}$
Binary thresholding (BT)	$[q_m]_{t,f} = 1, \text{ if } [\mathbf{G}_m]_{t,f} > \beta$ $[q_m]_{t,f} = 0, \text{ otherwise}$

Experimental setup

- TIMIT dataset (Garofolo et al., 1993) and PNL 100 nonspeech sounds (Hu and Wang, 2010) (machine, water, wind, etc).
- Pyroomacoustics (Scheibler et al., 2018).
- Frequency bins corresponding to 50 Hz to 7 kHz are used because this is the frequency band of wideband speech coders (Cox et al., 2009).
- A 9-element rectangular microphone array.
- Simulate a dining environment.[†]

[†]Code is available at <https://github.com/kjason/DnnNormTimeFreq4DoA>

The DNN



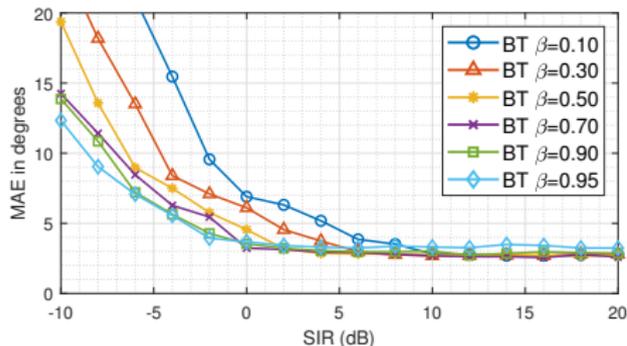
- U-Net (Ronneberger et al., 2015).[‡]
- Size: 0.67M parameters.
- IRM estimation. l_1 loss.
- SGD with momentum. 200 epochs.[§]

[‡]PlotNeuralNet <https://github.com/HarisIqbal88/PlotNeuralNet>

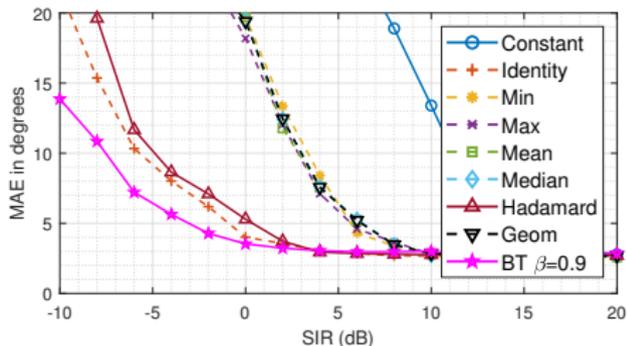
[§]Code is available at <https://github.com/kjason/DnnNormTimeFreq4DoA>

Post-processing is crucial (MUSIC)

- Different post-processing functions are evaluated for the DNN based MUSIC.
- $RT_{60} = 0.3s$ and $SNR = 20$ dB.
- “Constant” means $w_m(t, f) = 1, \forall(m, t, f)$, leading to original sample SCMs (the signal enhancement model is not used).



(a) BT with different β .



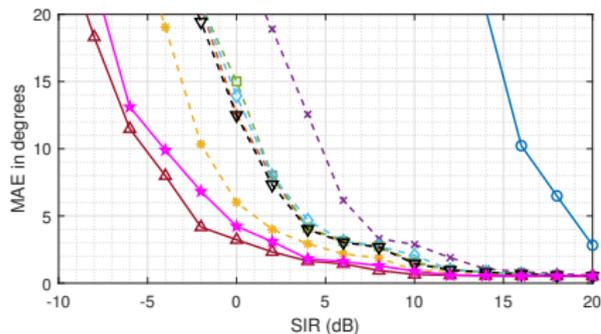
(b) Overall comparison.

Figure: MAE in degrees vs. SIR.

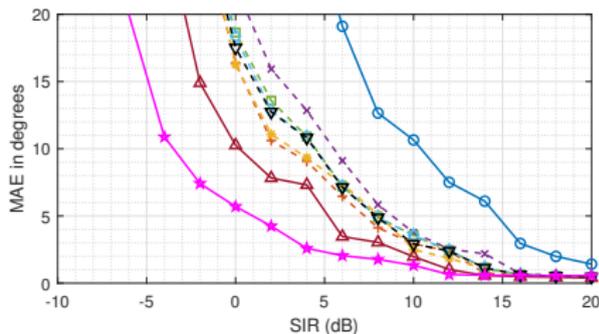
Observation 1

WSCMs can easily become singular when $\beta \geq 0.95$.

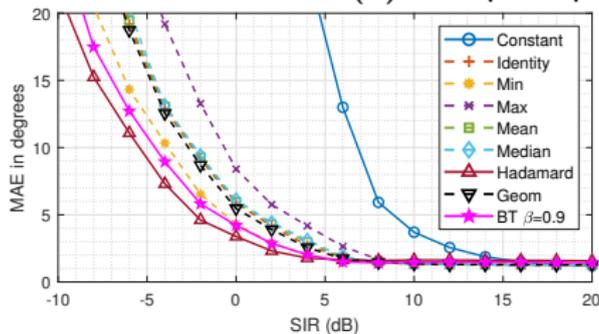
The best post-processing is criterion-dependent



(a) The proposed method.



(b) The principal vector method.



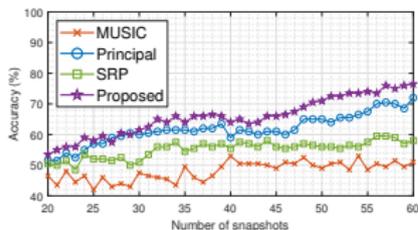
(c) The SRP method.

Figure: MAE in degrees vs. SIR.

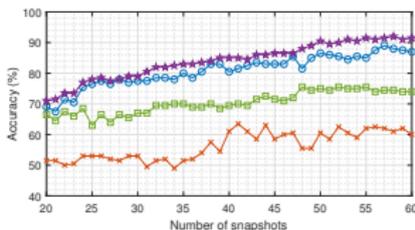
How does the proposed method perform?

Table: DoA estimation accuracy. $K = 2$. SNR = 20 dB.

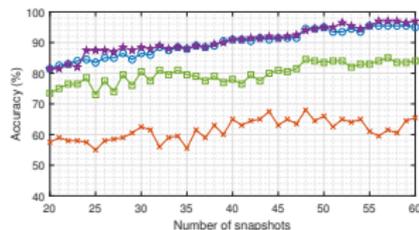
RT ₆₀ (seconds)	0.3			0.9			
	SIR (dB)	-6	0	+6	-6	0	+6
MUSIC		40%	52%	59%	30%	30%	33%
Principal		43%	77%	89%	51%	70%	79%
SRP		33%	59%	75%	28%	37%	40%
Proposed		54%	81%	91%	59%	76%	88%



(a) -6 dB SIR.



(b) 0 dB SIR.



(c) +6 dB SIR.

Figure: Accuracy vs. number of snapshots T . $K = 1$, RT₆₀ = 0.3s, and SNR = 20 dB.

A closer look at the proposed method

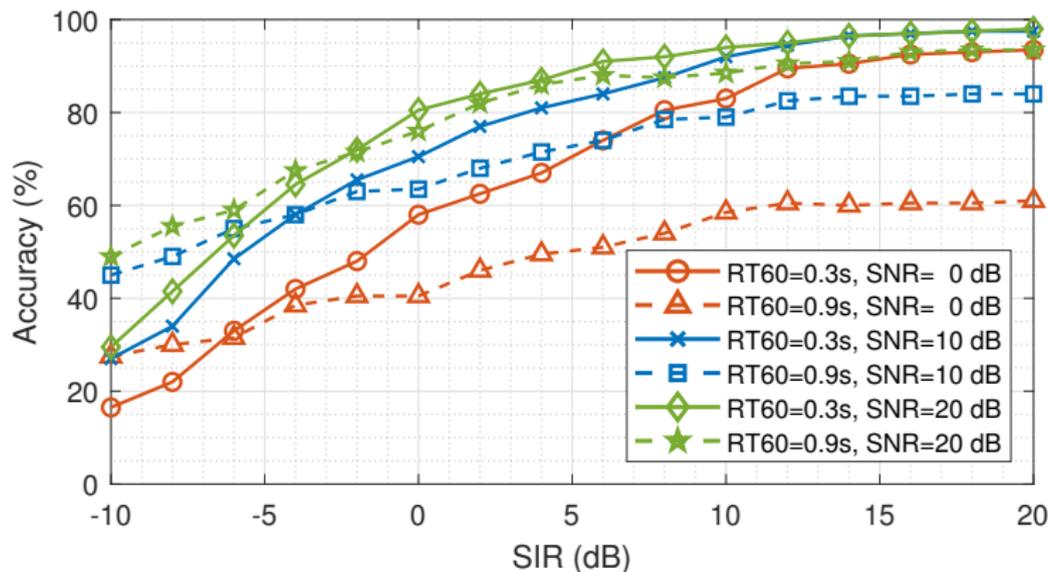
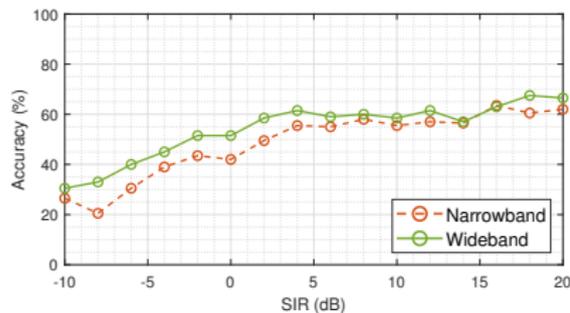
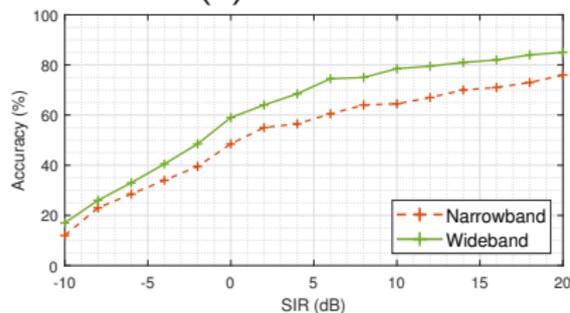


Figure: Evaluation of the proposed method. $K = 2$.

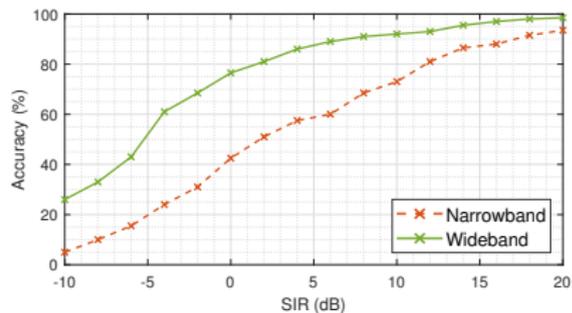
Wideband vs. Narrowband



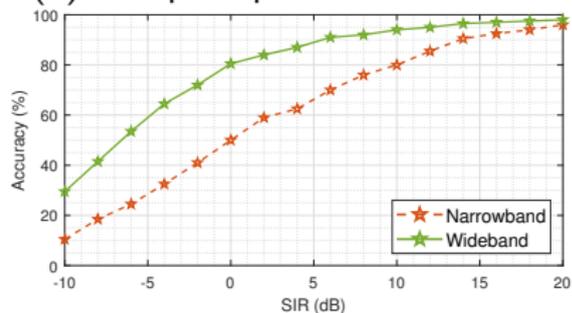
(a) MUSIC.



(c) The SRP method.



(b) The principal vector method.



(c) The proposed method.

Figure: Summing spatial spectra over the wideband (50 Hz to 7 kHz) is more beneficial than summing them over the narrowband (300 Hz to 3400 Hz).

Takeaway

- The snapshot is first **filtered** and then **normalized**.
- The normalized T-F weighted criterion is **simple** but **effective**.
- Post-processing is important and the best design is **criterion-dependent**.
- Pick a post-processing? Try Hadamard product or BT (with a tuned β).

Future work

- Can the criterion be derived from the maximum likelihood principle under mild assumptions on the noise covariance matrix?
- Do we have the same conclusion for a very different DNN architecture?
- Extension to multiple speech sources and interferences.

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- If you would like to learn more about single-channel speech enhancement...
- Welcome to our poster presentation (SLT-P38.8) tomorrow!

LEVERAGING HETEROSCEDASTIC UNCERTAINTY IN LEARNING COMPLEX SPECTRAL MAPPING FOR SINGLE-CHANNEL SPEECH ENHANCEMENT

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